## SISTEMI EMBEDDED

## Basic Concepts about Computers

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## Embedded System Block Diagram



Device/Equipment to be controlled

## Functional Units of a Computer



## Instructions and Programs

- An instruction specifies an operation and the locations of its data operands
- A 32-bit word typically holds one encoded instruction
- A sequence of instructions, executed one after another, constitutes a program
- Both a program and its data are stored in the main memory


## Instruction types

- Four basic instruction types:
- Load: Read a data operand from memory or an input device into the processor
- Store: Write a data operand from a processor register to memory or an output device
- Operate: Perform an arithmetic or logic operation on data operands in processor registers
- Branch: Alter, if a condition is verified, the sequential execution of the instructions


## Program Example

- A, B, and C, are labels representing memory word addresses; Ri are processor registers
- A program for the calculation

$$
C=A+B
$$

is:

$$
\begin{array}{ll}
\text { Load } & \text { R2, A } \\
\text { Load } & \text { R3, B } \\
\text { Add } & \text { R4, R2, R3 } \\
\text { Store } & \text { R4, C }
\end{array}
$$

## Main Processor Elements (1)

- The program counter (PC) register holds the memory address of the current instruction
- The instruction register (IR) holds the current instruction
- General-purpose registers hold data and addresses
- Control circuits and the arithmetic and logic unit (ALU) fetch and execute instructions


## Main Processor Elements (2)



## Fetching and executing instructions

Example: Load R2, LOC

The processor control circuits do the following:

- Send address in PC to memory; issue Read
- Load instruction from memory into IR
- Increment PC to point to next instruction
- Send address LOC to memory; issue Read
- Load word from memory into register R2


## Representation of Information

- Whatever is the source of information, data are represented by a string of bits (usually in a number multiple of 8, i.e., 1 BYTE)
- An array of bits directly represents a Natural number in base 2 (positional binary notation)
$-B=b_{n-1} \ldots b_{1} b_{0}$ represents the number $V(B)=b_{n-1} \times 2^{n-1}+\ldots b_{1} \times 2^{1}+b_{0} \times 2^{0}$
- Any other information can be encoded by a Natural using a specific representation
- E.g. signed numbers, floating point numbers, chars,...
- Representations typically use 1, 2, 4, 8 BYTES


## Signed Numbers (1)

For signed integers, the leftmost bit (MSB) contains the sign information:
0 for positive
1 for negative
There are three ways to represent signed integers:

- Sign and magnitude
- 1's complement
- 2's complement (the MSB has weight $-2^{n-1}$ )


## Signed Numbers (2)

$B \quad$ Values represented

|  |  |  | Sign and <br> magnitude | 1's complement | 2's complement |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  | $b_{2}$ | $b_{1} b_{0}$ |  |  | +7 |
| 0 | 1 | 1 | 1 | +7 | +6 |
| 0 | 1 | 1 | 0 | +6 | +5 |
| 0 | 1 | 0 | 1 | +5 | +4 |
| 0 | 1 | 0 | 0 | +4 | +3 |
| 0 | 0 | 1 | 1 | +3 | +2 |
| 0 | 0 | 1 | 0 | +2 | +1 |
| 0 | 0 | 0 | 1 | +1 | +0 |
| 0 | 0 | 0 | 0 | +0 | -7 |
| 1 | 0 | 0 | 0 | -0 | -6 |
| 1 | 0 | 0 | 1 | -1 | -5 |
| 1 | 0 | 1 | 0 | -2 | -4 |
| 1 | 0 | 1 | 1 | -3 | -3 |
| 1 | 1 | 0 | 0 | -4 | -2 |
| 1 | 1 | 0 | 1 | -5 | -1 |
| 1 | 1 | 1 | 0 | -6 | -0 |
| 1 | 1 | 1 | 1 | -7 | +3 |
|  |  |  | +2 |  |  |

## Signed Numbers (3)

2's-complement representation is used in current computers
Consider a four-bit signed integer example, where the value +5 is represented as:
0101
To form the value -5 , complement all bits of
0101 to obtain 1010
and then add 1 to obtain
1011

## Signed Numbers (4)

Replicate the sign bit to extend 4-bit signed integers to 8-bit signed integers

$$
\begin{aligned}
& 0101 \longmapsto 00000101 \\
& 1110 \longmapsto 11111110
\end{aligned}
$$

## Character Encoding

- American Standard Code for Information Interchange (ASCII)
- Uses 7-bit codes (extended version 1 BYTE)
- Some examples:
character binary code (decimal, $0 x$ hexadecimal)

| $A$ | 1000001 | $(65$, | $0 \times 41)$ |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $a$ | 1100001 | $(97$, | $0 \times 61)$ |  |
| 0 | 011 | 0000 | $(48$, | $0 \times 30)$ |
| 1 | 0110001 | $(49$, | $0 \times 31)$ |  |
| 9 | 0111001 | $(57$, | $0 \times 39)$ |  |



Source: www.LookupTables.com

## Memory Organization

- Memory consists of many millions of cells
- Each cell holds a bit of information, 0 or 1
- Information is usually handled in larger units: bytes or words
- A word is a group of $n$ bytes
- Word length can be 16, 32 or 64 bits
- Memory can be seen as either a collection of consecutive bytes or words (of the size specified by the word length)


## Word and Byte Encoding

- A common word length is 32 bits
- Such a word can store a 32-bit signed integer or four 8-bit bytes (e.g., ASCII characters)
- Words in memory may store data or machine instructions for a program
- Each machine instruction may require one (or more consecutive words for encoding)


## Addresses for Memory Location

- To store or retrieve items of information, each memory location has a distinct address
- Numbers 0 to $2^{k}-1$ are used as addresses for successive locations in the memory
- The $2^{k}$ locations constitute the address space
- Memory size set by $k$ (number of address bits)
- Examples: $k=20 \rightarrow 2^{20}$ or 1 M locations,

$$
k=32 \rightarrow 2^{32} \text { or } 4 \mathrm{G} \text { locations }
$$

## Byte Addressability

- Byte size is always 8 bits
- But word length may range from 16 to 64 bits
- A byte-addressable memory assigns an address to each byte
- Byte locations have addresses $0,1,2, \ldots$
- Assuming that the word length is 32 bits, word locations have addresses $0,4,8, \ldots$


## Big- Little-Endianess

- Two ways to assign byte address across words
- Big-endian addressing assigns lower addresses to more significant (leftmost) bytes of word
- Little-endian addressing uses opposite order
- Commercial computers use either approach, and some can support both approaches
- Addresses for 32-bit words are still $0,4,8, \ldots$
- Bits in each byte labeled $b_{7} \ldots b_{0}$, left to right

Word

$$
\text { address } \quad \text { Byte address }
$$


(a) Big-endian assignment

Byte address

(b) Little-endian assignment

## Word Alignment

- \# of bytes per word is normally a power of 2
- Word locations have aligned addresses if they begin at byte addresses that are multiples of the number of bytes in a word
- Examples of aligned addresses:

2 bytes per word $\rightarrow 0,2,4, \ldots$
8 bytes per word $\rightarrow 0,8,16, \ldots$

- Some computers permit unaligned addresses

