

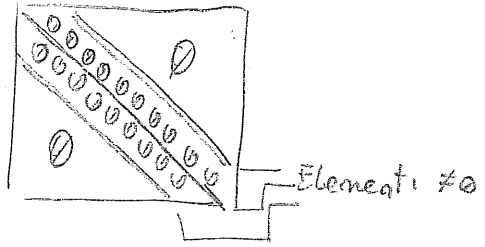
Dati  $x_1 = x(t_1)$   $x_2 = x(t_1 + \tau)$   $x_3 = x(t_1 + 2\tau)$   $x_4 = x(t_1 + 3\tau)$

i termini sulla diagonale della matrice di covarianza sono

i termini sulla 2<sup>a</sup> diagonale  $cov(x_i, x_i) = \sigma_{x_i}^2$

$$cov(x_i, x_{i-1}) = E\{(x_i - \eta_{x_i})(x_{i-1} - \eta_{x_{i-1}})\}$$

però le covarianze di variabili distanti  $\tau$  e covarianze e correlazioni = 0  
sulla III<sup>a</sup> diagonale le covarianze di variabili distanti  $2\tau$



S. 31

2000 soggetti  
1000 malati  
FP = 17  
FN = 6

$$Sens = \frac{VP}{VP + FN}$$

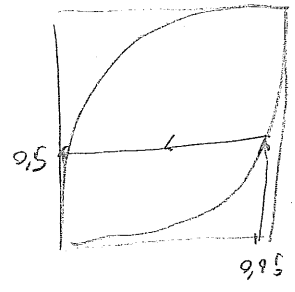
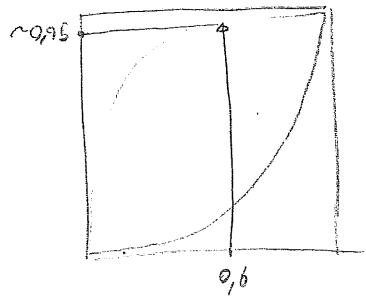
$$VP = \text{malati} - FN = 994$$

$$Sens = 99.9\%$$

$$Sens = 98.5\% \quad Spec = 96\%$$

prevalenza = 69%

$$P_{TP} = P_{TP|M} \cdot P_M + P_{TP|S} \cdot P_S = Sens \cdot prev + (1 - Spec) \cdot (1 - prev) = 7.67\%$$



ES. 4

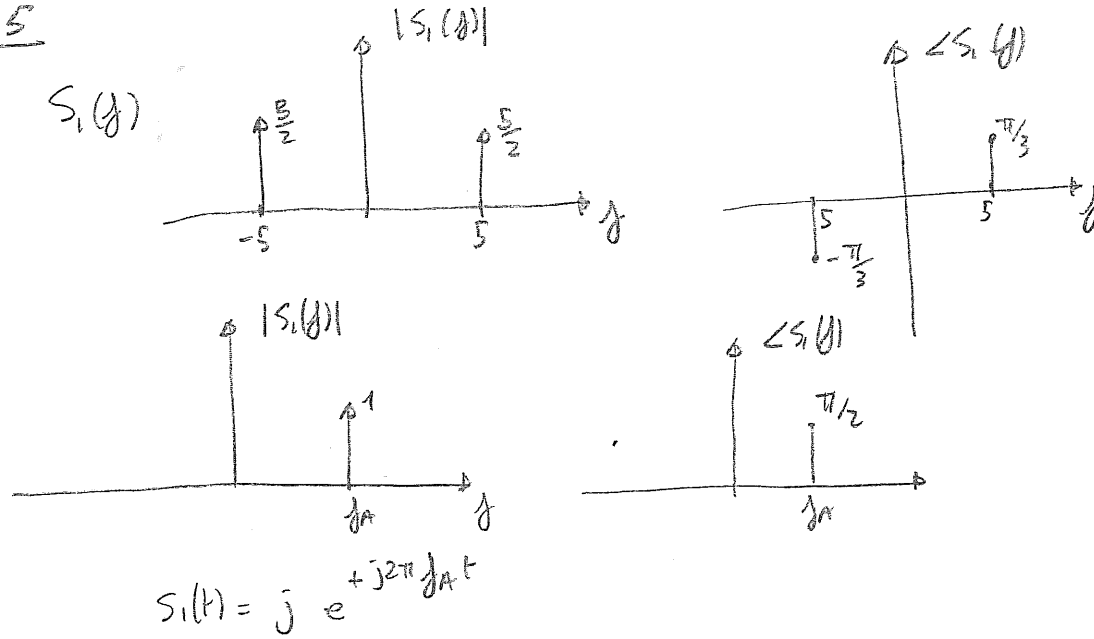
I. C

II. A

III.  $P_{10}(8) = \binom{8}{10} 0,3^8 0,7^2 = 0,14\%$

IV)  $P\{succ < 9\} = 1 - [P_{10}(10) + P_{10}(9)] = 0,999$

ES. 5



ES. 6

$f_{min} = 490 \text{ KHz}$

$f_{max} = 650 \text{ KHz}$

PASSA Basso  $f_c \gg 1300 \text{ KHz}$

PASSA banda  $B = 160 \text{ KHz}$   $\frac{f_{max}}{B} = 4, \#$   $m=4$   $f_c = \frac{1300 \text{ KHz}}{4} = 325 \text{ KHz}$

$B = 1 \text{ MHz}$   $s_1(t) = \cos(2\pi f_0 t) + 5 \sin(2\pi f_0 t)$   $f_0 = 13 \text{ MHz}$

Banda di  $s_1(t)$   $[12:14] \text{ MHz}$

$f_c = 100 \text{ Hz}$   $dt = 0,01 \text{ s}$

lunghezza  $h(n) = 20$  campioni

$d_{f_{out}} = \frac{1}{N_{out} dt} = 0,1$   $N_{out} = N_{in} + 20 - 1$

$0,1 = \frac{1}{(N_{in} + 20 - 1) dt}$

$N_{in} \cdot 0,1 = 100 - 1,9$

$N_{in} = 981$

$T_{in} = N_{in} \cdot dt = 9,81 \text{ s}$

ES. 7

7. 6. 2010 AA. 0900  
eprec

test<sub>1</sub>

I. A

II. C

III. B

IV. B